

MNRAS **509**, 954–973 (2022) Advance Access publication 2021 October 23

# The formation of massive stellar clusters in converging galactic flows with photoionization

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Accepted 2021 October 15. Received 2021 October 14; in original form 2021 July 9

#### ABSTRACT

We have performed simulations of cluster formation along two regions of a spiral arm taken from a global Milky Way simulation, including photoionizing feedback. One region is characterized by strongly converging flows, the other represents a more typical spiral arm region. We find that more massive clusters are able to form on shorter time-scales for the region with strongly converging flows. Mergers between clusters are frequent in the case of the strongly converging flows and enable the formation of massive clusters. We compare equivalent clusters formed in simulations with and without ionization. Photoionization does not prevent massive cluster formation, but can be seen to limit the masses of the clusters. On average, the mass is reduced by around 20 per cent, but we see a large spread from ionization having minimal difference to leading to a 50 per cent reduction in mass. Photoionization is also able to clear out the gas in the vicinity of the clusters on Myr time-scales, which can produce clusters with larger radii that are surrounded by more massive stellar haloes. We find that the ionizing feedback has more impact in our second region that is less dense and has less strongly converging flows.

**Key words:** stars: formation – ISM: clouds – galaxies: star clusters: general – galaxies: star formation.

#### 1 INTRODUCTION

Understanding how stellar clusters, and in particular how different types of cluster form, is one of the fundamental problems in star formation. Much numerical work has investigated cluster formation, following e.g. Bate, Bonnell & Bromm (2003), Klessen, Heitsch & Mac Low (2000), and McKee & Tan (2003), but most have considered cluster formation in a turbulent box or sphere. As such, these works simply form one cluster with properties strongly dependent on the initial conditions. Cluster formation has been investigated in the context of dwarf galaxies (Hu et al. 2016; Emerick, Bryan & Mac Low 2018; Lahén et al. 2019), where the gas mass is sufficiently low that high resolution in the gas and stars can realistically be achieved, but less so in typical Milky Way-type environments.

In previous work, we have investigated massive cluster formation in colliding flows (Dobbs, Liow & Rieder 2020; Liow & Dobbs 2020; Dobbs & Wurster 2021). We found that cluster formation is enhanced by collisions, but that the velocity needs to be quite high, around 20 km s<sup>-1</sup> (see also Maeda, Inoue & Fukui 2021). At such velocities, more massive clusters form on shorter time-scales, compared to isolated clouds. However these studies lack a more realistic galactic context. Simulations by Rieder et al. (submitted) investigate cluster formation in simulations with fixed spiral arms of different strengths, which mimic different convergence of the gas flows in spiral arms. Smilgys & Bonnell (2017) also modelled clusters along a section of spiral arm, finding that more massive

clusters form by hierarchical merging. In reality, spiral arms will not necessarily be fixed. Pettitt et al. (2015) modelled the Milky Way and actually found that a better fit to the observed spiral arms was obtained when the spiral arms were dynamically evolving compared to fixed (Pettitt et al. 2014). Considering more complex dynamics potentially allows more variation in the flows, including even for example spiral arms merging.

Another question is the effect of feedback on cluster formation and evolution. Again, detailed studies of feedback have largely been applied to studies of individual clouds, and dwarf galaxies. Neither the work of Rieder et al. or Smilgys & Bonnell (2017) include feedback. For short time-scales, similar to those to form young massive clusters, only immediate feedback processes such as ionization, winds, and radiation pressure are likely to be important, since supernovae will not have had time to occur.

Simulations of isolated clouds show that ionization can strongly affect the morphology of molecular clouds, reducing the gas mass by 10s of per cent, although this effect is smaller for higher mass or density clouds (Dale, Ercolano & Bonnell 2012; Colín, Vázquez-Semadeni & Gómez 2013; Dale 2017; Gavagnin et al. 2017; Ali & Harries 2019; Kim, Ostriker & Filippova 2021). Geen et al. (2018) do not appear to find that strong feedback has a comparable effect on the stellar cluster. Geen, Soler & Hennebelle (2017) find that for the densest clouds, the star formation efficiency can still be very high (10s per cent), while at sufficiently high densities, the star formation efficiency can tend to 100 per cent (Grudić et al. 2018). In contrast to some of these studies which consider decaying turbulence, Sartorio et al. (2021) find that if the turbulence is continuously driven, the effects from ionizing feedback are reduced.

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On galaxy scales, simulations of dwarf galaxies find that ionization has a strong effect on clearing out gas around young stars (Semenov, Kravtsov & Gnedin 2021) supporting the idea that ionization dominates cloud lifetimes (Kruijssen et al. 2019; Chevance et al. 2020). Surveys of clusters in nearby galaxies also find that ionization also appears to disperse gas and dust in the vicinity of clusters on very short, ~ Myr time-scales (Kawamura et al. 2009; Hollyhead et al. 2015; Grasha et al. 2019; Hannon et al. 2019; Barnes et al. 2020; Kim 2021; Messa et al. 2021). The density of the cloud, or the potential well of the gas in which the cluster forms may however also play a role in how easy it is for gas to be affected by ionization. For example, star clusters may remain embedded longer when formed in clouds with deeper gravitational potentials (Dinnbier & Walch 2020; Fukushima & Yajima 2021).

Grudić et al. (2020) and Geen et al. (2020) find that photoionization is particularly important on Giant Molecular Cloud (GMC) scales, while supernovae may have a greater impact on larger scales (Semenov et al. 2021). The effect of winds on star formation and the surrounding gas is generally found to be less than ionization (Dale et al. 2013). Supernovae may also be less effective, since once earlier forms of feedback occur, supernovae simply fill the ionized regions with hot gas (Walch & Naab 2015) (see also Bending et al., in preparation). Hot gas can also escape through channels into the wider ISM rather than significantly affecting the colder, denser medium (Lucas, Bonnell & Dale 2020). Radiation pressure appears to dominate in the earliest stages after massive stars start to undergo feedback, on relatively small scales (Barnes et al. 2020; Ali 2021), and may also be more important in starburst regimes (Krumholz & Thompson 2012; Geen et al. 2020). Sales et al. (2014) find that generally photoionization dominates radiation pressure, although Tsang & Milosavljević (2018) find that radiation pressure appears to reduce the star formation efficiency in massive clusters by around one-third compared to having no feedback, but radiation pressure does not suppress continual growth of the clusters.

To date, most studies involve following clusters formed in single clouds, or lack the resolution to follow clusters. As such they cannot follow clusters formed in a realistic galactic environment, or study the effects of feedback in a larger scale context. In this paper we look at cluster formation along two sections of spiral arm including photoionization, but not other forms of feedback. We choose regions that have contrasting dynamics – one is from a region that is strongly converging, and the other is a region that is only showing moderate gas convergence. Both regions are from a galactic scale model of the Milky Way, where the spiral arms form self-consistently. As such we test the impact of the galactic scale environment on the clusters that form, and also the impact of photoionization on clusters which arise self-consistently from realistic galactic conditions.

In Section 2, we describe the extraction of our initial conditions and computational method. We describe our results in Sections 3 and 4, and in particular we show cluster evolution and properties in Sections 4.3 and 4.4. Finally in Section 5 we discuss our results and present our conclusions.

## 2 METHOD

# 2.1 Initial conditions

# 2.1.1 Set 1 simulations

We perform simulations of sections of galaxy simulations using the smoothed particle hydrodynamics code sphNG (Benz et al. 1990; Bate, Bonnell & Price 1995; Price & Monaghan 2007). We discuss

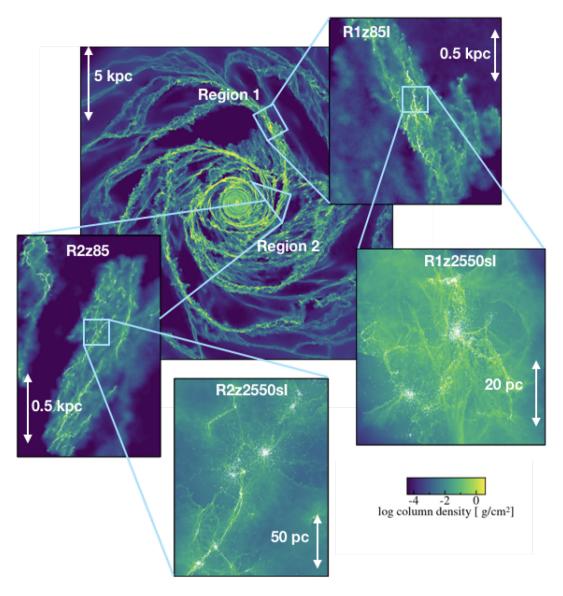
our initial conditions here, and then in Section 2.2 we discuss the physics we include in our calculations. We discuss the initial conditions first to give more context to the relevant size scales, and description of the physical methods.

We take our galaxy sections from the simulation of the Milky Way labelled 'Normal disc' by Pettitt et al. (2015), which includes a live stellar component, and an NFW dark matter halo. These past simulations include heating and cooling,  $H_2$  and CO formation, though they do not include gas self-gravity, star formation, or stellar feedback. We use the model that produces a spiral arm pattern which is in extremely good agreement with the Milky Way in the mid to outer disc. The initial galaxy model contains 1100 008 star particles, and 3 million gas particles, which corresponds to a gas mass per particle of 2666  $M_{\odot}$ . The initial gas density profile was set up to follow the stellar profile. Star particles have adaptive softening according to Price & Monaghan (2007). As we discuss in Section 2.2, all our simulations here use the same NFW dark matter halo, stellar disc, heating and cooling as the original simulations, but now we include gas self-gravity, star formation, and photoionizing feedback.

We perform simulations focusing on two different regions from the global Milky Way model, Region 1 and Region 2. Both of these regions are along spiral arms, but we choose regions with differing gas flows. Region 1 is strongly converging whereas Region 2 is less strongly converging, although both regions are along the same spiral

We show in Fig. 1 the column density plot of the galaxy-scale simulation, and the regions that we resimulate. We also show a list of the simulations carried out in Table 1. We initially ran calculations with the same surface density as the simulations in Pettitt et al. (2015). However, after finding quite high star formation rates, we noticed that although matching at larger radii, the surface density was a factor of around 2 too high at inner radii compared with the Milky Way. So we halved the gas mass compared to the original calculation. In the original simulations, the gas distribution will be predominantly determined by the gravity from the stars and dark matter, and sound speed of the gas, rather than the gas mass itself, so reducing the gas mass is still consistent with the other initial gas properties, and in better agreement with the Milky Way. For the Set 1 simulations (see Table 1), we set up the initial conditions for each region as follows. We select the gas particles at a time frame of 207 Myr, and trace these particles back to a time of 198 Myr. We split the particles by a factor of 85, to a mass of 15  $M_{\odot}$  (using the method described in Bending, Dobbs & Bate 2020). For Region 1, the initial conditions are a sheared region of approximately 1-2 kpc squared in the xy plane, and a vertical distribution up to  $\sim$ 400 pc. After particle splitting, this simulation has 5391 210 gas particles, and gas mass of  $8.46 \times 10^7 \text{ M}_{\odot}$ . For Region 2, the initial conditions are an approximately triangular region of base 1 kpc, height 2 kpc in the x-y plane, and a vertical thickness of 200– 400 pc. This simulation has 5974 500 gas particles, and a gas mass of  $7.65 \times 10^7 \,\mathrm{M}_{\odot}$ . Surrounding gas is not included, but both simulations contain all 1100 008 star particles present in the original simulation, which exhibit the global spiral pattern of the disc. Gravity softening of the stars is coupled to the gas mass (Price & Monaghan 2007) so the gravity resolution is adapted to the new resolution in the hydrodynamics.

In our Set 1 simulations, we split the gas particles by a factor of 85 compared to the original galaxy-scale simulations. However, the mass of gas particles was still quite large in this instance (15  $M_{\odot}$ ). As described in Section 2.2, we include sink particles to model star formation, and since sink particles typically form from a few 10s of gas particles, the sink particles are also quite massive. Hence,



**Figure 1.** This figure shows a panel from the whole galaxy simulation (Pettitt et al. 2015) that we used for our initial conditions (background), panels from Set 1 Region 1 and Region 2 simulations indicating where they lie in the galaxy, and panels from two of the Set 2 resimulations indicating where they are located.

we zoom in further on subregions of our Set 1 simulations, splitting the particles by a further factor of 30, and these further zoom-in calculations we refer to as Set 2.

In our zoom-in simulations, we do not model the surrounding gas, so naturally information is lost in resimulations that might affect gas at the edges of our regions. However, we focus on regions away from the edges of the simulations, so for example the Set 2 simulations are taken from the middle of the Set 1 simulations, and the clusters we focus on in Set 2 are not near the edge, so this avoids the boundary conditions having a significant effect on the results.

From herein, we use the time of 198 Myr, at which we set up the initial conditions for the Set 1 simulations as t = 0 Myr, and all subsequent times are listed relative to this time.

# 2.1.2 Set 2 simulations

To better study cluster formation and the effects of ionization, we resimulate sections of Regions 1 and 2. Splitting each particle by

a factor of 30, this obtains a mass per particle of  $0.5~M_{\odot}$ . We call these Set 2 simulations, and denote them 'z2550' to indicate a factor of 2550 times higher resolution than the original simulation. We indicate the sections of Regions 1 and 2 that we resimulate in Fig. 1.

To set up the Set 2 simulations, we select particles at a time of 1.2 Myr from models R1z85Is and R2z85s, and trace them back to an earlier time of 0.6 Myr. We then selected a box at the 0.6 Myr time that contained all the particles that had been traced back. This also meant that other neighbouring particles that lay in the box were selected as well. We originally tried selecting a region towards the end of the Set 1 simulations, and tracing the gas back to resimulate. However, this proved to be unsuitable as 0.6 Myr prior to the end of the Set 1 simulations, at least in the R1z85I simulation, massive clusters had already formed. If tracing back over longer time-scales (>1 Myr), the locus of particles was large, and thus a box that contained all these particles was so large that the resimulation would have required tens of millions of particles.

We also added a small ( $\sim$ 1 km s<sup>-1</sup>) velocity dispersion to the particles at the start of the Set 2 simulations, to mimic small-scale

**Table 1.** Table listing the simulations carried out, whether they include ionization and the sink particle parameters (see text). For Set 1, the seed simulation is the global galaxy simulation, whereas for Set 2, the seed simulation is one of the Set 1 simulations. The Set 2 simulations are of smaller regions and higher resolution compared to Set 1.

Name	Seed sim.	Region	Particle mass $(M_{\odot})$	Ionization?	Sinks
Set 1					
R1z85	Disc	1	15	N	Normal
R1z85I	Disc	1	15	Y	Normal
R2z85	Disc	2	15	N	Normal
R2z85I	Disc	2	15	Y	Normal
R1z85s	Disc	1	15	N	Small
R1z85sI	Disc	1	15	Y	Small
R2z85s	Disc	2	15	N	Small
Set 2					
R1z2550s	R1z85s	1	0.5	N	Small
R1z2550sI	R1z85s	1	0.5	Y	Small
R2z2550s	R2z85s	2	0.5	N	Small
R2z2550sI	R2z85s	2	0.5	Y	Small

unresolved velocities in the Set 1 simulations; however, this did not greatly effect the simulation, and after trying a few different values, the simulations were the same after a short time unless very large  $[\mathcal{O}(50) \text{ km s}^{-1} \text{ or so}]$  dispersions were used.

For the Set 2 Region 1 simulations (R1z2550s and R1z2550Is), we chose a region at around x = 2.5 kpc, y = 4.75 kpc in Fig. 2, where we clearly see clusters forming. The initial size of our resimulated region is approximately 70 pc  $\times$  70 pc, and contains  $2.75 \times 10^6 \, \mathrm{M}_{\odot}$ of gas and of stars (situated in sink particles). We also split the sink particles by a factor of 30, using the accretion radius (0.2 pc) instead of the smoothing length to distribute the new particles. For those sink particles that contain ionizing sources, we assign the ionizing flux to the sink particle at the location of the original sink before it is split, and set the ionization to zero for the other particles. For Region 2, there are relatively few sink particles at 0.6 Myr. The region we choose, which lies in the spiral arm section of Region 2, does not contain any sink particles. This is not unrepresentative of the simulation at this point, and avoids the complication of splitting the sink particles. This section is approximately 160 pc  $\times$  160 pc, and contains  $2.5 \times 10 \text{ M}^6_{\odot}$  of gas. For both the Set 2 Region 1 simulations (R1z2550s and R1z2550Is) and Set 2 Region 2 simulations (R2z2550s and R2z2550Is), we run models with and without ionization.

# 2.1.3 Convergence of gas

We can make a simple estimate of the mass that could converge in our regions following Dobbs et al. (2020). We estimate the mass that can converge in this region over a given time-scale according to

$$M = v \rho A t, \tag{1}$$

where v is the relative velocity between the converging flows,  $\rho$  is their density, A is the cross-sectional area in the arm, and t is some time-scale. Taking a distance scale of 100 pc, which is similar to the size scale of our Set 2 simulations, we find that for Region 1, the relative velocity is around 20 km s<sup>-1</sup>. Taking a density of  $100 \text{ cm}^{-3}$ , we would expect a mass well in excess of  $10^5 \text{ M}_{\odot}$  to be able to converge over 100 pc in Region 1 on a time-scale of 1 Myr. For Region 2, the relative velocities of the gas are generally less than  $10 \text{ km s}^{-1}$ . We show the divergence of the velocity field in Fig. 2, with

Regions 1 and 2 overlaid. The divergence is calculated on a particle by particle basis over a smoothing length. This likewise shows that the convergence is higher for Region 1 compared to Region 2.

As such, we would predict that Region 1 is a prime site for forming massive clusters on short time-scales. The strong convergence generally along this section of spiral arm appears to be linked to the merger of this spiral arm with another arm (see Fig. 1). The effect of this merger can be seen from the shape of the spiral arm and the kink just above Region 1, while the merger of two spiral arms may mean gas convergence is not just limited to across (perpendicular to) the spiral arm, but along the spiral arm as well. A similar phenomenon is seen in the next innermost spiral arm as well.

# 2.2 Details of simulations

In all our simulations, we model the full halo and stellar components of the galaxy. We model the gas just in our selected zoomed-in regions. These are the same as the global galaxy model. We use the same analytic potential for the dark matter halo as Pettitt et al. (2015). Stars in the disc and bulge present at the simulation start are modelled as live components, represented as *N*-body particles that interact only gravitationally with other particles (acting as an 'old' stellar population). For the gas, we apply the same heating and cooling prescription, and the same chemistry prescription for H<sub>2</sub> and CO formation as the original model. Most of our gas is molecular (we use the same simple fixed length scale (35 pc) for the self-shielding of the molecular hydrogen, although the high densities suggest that the gas would likely largely be molecular anyway). In addition to the physics used in the galaxy-scale models, we now add self-gravity, star formation, and photoionizing feedback.

In all our simulations, sink particles are formed once a given density threshold of 1000 cm<sup>-3</sup> is exceeded, but similar to Bending et al. (2020), gas can exceed this density and not meet the criteria for sink formation (see Bate et al. 1995; Bending et al. 2020). Again, like Bending et al. (2020) we impose a density of 10<sup>5</sup> cm<sup>-3</sup> above which sink formation occurs whether or not the criteria are met. Sink particles represent stellar populations, and can contain 0, 1 or multiple ionizing stars. Sink particles can undergo mergers, which occurs automatically if sink particles come within a certain distance of each other. In Table 1, we list the sinks as either 'standard' or

'small'. We initially used an accretion radius of 0.5 pc, such that matter within this radius is accreted subject to checks (namely that the gas is convergent on the sink particle), and a merger radius of 0.01 pc. We list this as the 'standard' scheme in Table 1. However, we found that the mass of the sink particles in the simulations could be very massive (10<sup>5</sup> M<sub>☉</sub> although more typically the masses are  $\sim 10^3 \, \mathrm{M}_{\odot}$ ). So, we also reran these simulations with an accretion radius of 0.2 pc and a merger radius of 0.001 pc, such that the largest sink particles are around a few  $10^4 \,\mathrm{M}_{\odot}$ . In particular, we use this sink prescription to produce the starting conditions for our second set of resimulations (Set 2). Changing the sink parameters mainly means that there are more sink particles of lower mass. In the Set 2 simulations, we decreased the accretion radius further to 0.1 pc, but keep the merger radius the same. In all simulations (including the resimulations), the minimum temperature is 100 K, in order to resolve the Jeans mass in the simulations.

For the photoionizing feedback, we follow the scheme used in Bending et al. (2020). To recap briefly on our previous work, we evolve the H II fraction using SPH interpolation to integrate the contribution over all SPH particles whose smoothing lengths overlap with the line of sight between a given SPH particle and an ionizing source. The ionization fraction is evolved as

$$\frac{dH_{\rm II}}{dt} = \frac{h^2}{r^2} \left( \frac{Q_{\rm H}}{4\pi} - \int_0^r r'^2 n(r')^2 \alpha_{\rm B} dr' - \frac{1}{\delta t} \int_0^r r'^2 n(r') [1 - H_{\rm II}(r')] dr' \right),$$
(2)

where h is the smoothing length,  $Q_{\rm H}$  is the ionizing flux, n is the number density,  $\alpha_B$  is the recombination efficiency (here  $2.7 \times 10^{-13}$  cm³ s<sup>-1</sup>),  $\delta t$  is the time interval, and H II is the ionization fraction of the gas (from 0 to 1). We heat gas that is ionized to  $10^4$  K. To allow the simulations to be computationally feasible, we only integrate out to a maximum distance from the ionizing sources. Here, we only consider lines of sight for which r < 100 pc. Stars are assigned massive stars via a sampling method tuned to reproduce a Kroupa initial mass function (IMF) (Kroupa 2001). The IMF samples masses between 0.01 and 107.5  $M_{\odot}$ . Photoionization is modelled for stars with masses  $> 18 \ M_{\odot}$ . Typically sinks are of the order of 100 or a few  $100 \ M_{\odot}$ , and thus well sample the IMF, but they do not all contain stars above masses of  $18 \ M_{\odot}$ . Similarly to the SR\_50 per cent model in Bending et al. (2020) we choose an efficiency of 50 per cent, which means that half the mass in sinks is used to calculate the ionization fluxes.

We made two small changes to the method used in Bending et al. (2020). First, we changed the sampling slightly. In the simulations presented in Bending et al. (2020), new ionizing stars were assigned to the sink particle with the highest non-ionizing star mass. For the simulations presented here, we found a wider range in sink masses, which led to a disproportionately large number of ionizing stars in the most massive sinks. Instead we assign the ionizing star to the sink particle with the highest total non-star (i.e. unassigned) mass. Secondly, in the Set 2 simulations we changed the maximum line of sight from the 100 pc used by Bending et al. (2020) to approximately half the simulation sizescale. We checked this approach from the size of ionization regions in our initial runs (which were relatively quicker) before we changed the sampling method, and also ran for a short time with different maximum truncation distances to check there was no significant difference. We also include a record of when stars formed will undergo supernovae in our simulations (Bending et al., in preparation); however, we do not run our simulations long enough for these stars to undergo supernovae.

## 3 RESULTS FOR SET 1

In Fig. 3, we show column density maps from three of our Set 1 simulations (R1z85, R1z85I, and R2z85), where we have split the particles once and have a mass per particle of 15  $M_{\odot}$ . On the lefthand panels and the top right panel, we show Region 1, where there are stronger converging flows. For both Regions 1 and 2, the sink particles form along filamentary structures, but there is more of a central area in Region 1 where there are multiple filaments merging together. In Region 2 (lower right panel), the sinks occur along more or less isolated filamentary structures. On these scales, the presence of ionizing feedback makes very little difference to the large scale structure, and it is difficult to see any differences between Region 1 with and without ionization. We do not show the column density plot for the Region 2 model with ionization (R2z85I), but likewise on these scales there is minimal difference to the gas column density with and without ionization. Nevertheless, we do see that H II gas is surrounding the areas where sinks have formed, and massive stars are ionizing the surrounding gas, where we show the HII fraction overplotted (top right panel, for Region 1). Note that the scale is such that only the highest integrated HII fractions appear in the colour bar. We find that the ionization is altering the structure of the gas, but only on small scales so we investigate this further in our Set 2 simulations. (Note for Region 2 there is further gas that is in the interarm region that is not shown in the figure, as Region 2 has further gas entering from the interarm region).

We show the mass of stars formed, and the star formation rate versus time in the Region 1 and 2 Set 1 simulations, with and without ionization, in Fig. 4. There are more stars forming in the Region 1 simulation (the total mass of gas in the simulations is similar), as expected as it is the more strongly converging region, and initially at least has a much higher star formation rate. By contrast for Region 2, there is a more gradual increase in star formation. There is only a very slight reduction in the star formation rate (and mass of stars formed) when ionization is included, which is just evident for Region 2, suggesting that ionization is not having a large effect on these scales over time-scales of 1–2 Myr. However, we look at the star formation rate in more detail in our Set 2 simulations, where we can better resolve the effects of ionization.

Owing both to the difficulty in seeing the effects of ionization on these scales, and the difficulty of resolving clusters (since sink particles contain typically 10s or more gas particles), we carried out resimulations of smaller sections where we can achieve much higher resolution (Set 2 simulations). The areas used for the Set 2 simulations are centrally located relative to the Set 1 simulations, and are shown in Fig. 1.

# 4 RESULTS FOR SET 2

# 4.1 Evolution of different regions

In Fig. 5, we show snapshots of our Set 2 simulations of subregions of Regions 1 and 2, with and without ionization (R1z2550s, R1z2550sI, R2z2550s, and R2z2550sI). As mentioned in Section 2.1.1, we take 0 Myr as the start of the Set 1 simulations (198 Myr in the original galaxy simulation), and we note in Region 2 with this reference timescale we do not see any star formation until 0.6 Myr or so later than Region 1, hence the times for Region 2 are later than Region 1. As we will see, the evolution also occurs faster for Region 1, as it is denser, and the clusters merge together.

From Fig. 5, we see that both regions show one or two larger clusters that have formed, and a number of smaller clusters. The

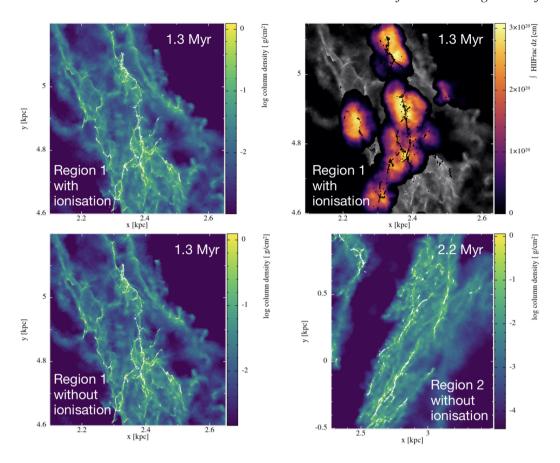


Figure 3. Column density plots are shown for the Set 1 simulations (R1z85, R1z85I, and R2z85). The panels show Region 1 with ionization (top row, right with H II fraction overplotted on density), Region 1 without ionization (lower left) and Region 2 (lower right). Sink particles are overplotted in white. Ionization makes minimal difference at these scales. For Region 2, the sinks are mostly located in filamentary features.

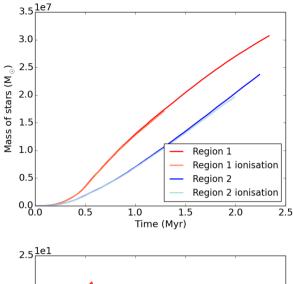
clusters tend to form along filaments, in both cases the filamentary feature spanning from top to bottom of the panels corresponds to the spiral arm, and particularly in the Region 1 simulation (we hereafter refer to the subregions of Regions 1 and 2 as simply Regions 1 and 2), the most massive looking cluster (as we shall see from Section 4.3 this is indeed the most massive cluster) appears at the intersection of filaments. Similar to the Set 1 simulations, there is not a large difference between the large scale structure with and without ionization. However, there are some more detailed differences. In Region 1 (top panels), there is slightly clearer structure in some of the gas features with ionization. There is also a clear ionization front in the mid right (from  $x \sim 2.42$ ,  $y \sim 4.81$  to  $x \sim 2.435$ ,  $y \sim 4.79$ ) which is not present in the no ionization case. The clusters also appear to have small differences, particularly the two large clusters that are in the process of merging in the centre of the panel (we show detailed images of these in Section 4.3.1). The differences are slightly clearer in Region 2, likely in part because this region is less dense. Surrounding the clusters there are clearer dense filaments in the ionization case, while there are also regions that have been substantially effected by ionization.

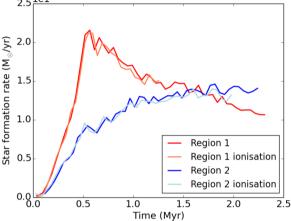
In Fig. 6, we show the mass of stars formed and the star formation rate versus time in the two different regions. The mass of stars formed, and the star formation rate, is much higher in Region 1 over an equivalent time, which is not surprising as Region 1 is denser, and has stronger converging flows (Fig. 2). In both, the star formation rate appears to be decreasing over time, though the star formation rate is more steady for Region 2. The addition of ionizing feedback makes little difference for Region 1, and only slightly reduces the

mass of stars formed. The star formation rate in Region 2 is notably less with ionization included. The mass of stars is reduced by about 15 per cent after 2 Myr ( $\leq 1.5$  Myr after clusters typically form), or around 20 per cent after 3 Myr ( $\leq 2$  Myr after clusters typically form). Our results suggest there is less reduction in the mass of stars formed in Region 1 compared to Region 2, because it is less dense, although it is difficult to confirm this because Region 1 is not evolved for as long, partly because Region 1 runs more slowly due to the number of sinks and ionizing sources, and also because the cluster evolution in Region 1 is more dominated by mergers, and tends towards a small number of massive clusters. We do see however that for an equivalent mass of stars formed, ionization has had a greater impact on star formation for Region 2 compared to Region 1.

#### 4.2 Ionization

In Fig. 7, we show the ionization overplotted on the gas column density for Regions 1 and 2. The colour scale shows the rendered H  $\scriptstyle\rm II$  fraction, i.e. the H  $\scriptstyle\rm II$  fraction integrated through the plane (top panels), and a cross-section showing the ionized H  $\scriptstyle\rm II$  fraction (lower panels). We also highlight a number of clusters (1, 2a, 2b, 3, 4, 5 in Region 1; 1, 2, 3, 4 in Region 2) in the top panels which are discussed in Section 4.3. Note that the whole or most of the panel would show a non-zero integrated H  $\scriptstyle\rm II$  fraction, so our figures only show the regions with the most H  $\scriptstyle\rm II$ . For Region 1, there are clearly two regions of more significant H  $\scriptstyle\rm II$  gas associated with three of the larger clusters, those labelled Cluster 1, 2a, and 2b. The ionization from Cluster 4 at least





**Figure 4.** The mass of stars formed (top) and star formation rate (lower) are shown versus for the Set 1 simulations of Region 1 and 2 without ionization (R1z85, R1z85I, R2z85, and R2z85I). Region 2 forms fewer stars, and at least at early times has a significantly lower star formation rate. This is expected given the region lower velocity converging flows.

partly also joins that from Cluster 1, suggesting that the ionization regions may be associated with a few distinct clusters.

For Cluster 1, the highest H II fractions are offset from the cluster itself, as the photoionizing radiation preferentially affects the lower density gas. For Region 2, again there are regions of higher HII fractions in the low-density areas close to the large clusters. We show the H II fraction in the z-x plane in Fig. 8 (Region 1, top; Region 2, lower). This highlights that likewise, the ionized gas is displaced from the clusters to lower densities in the vertical direction as well. The ionized gas above the clusters, at  $z \sim 0$  is more or less free to escape from the disc. However for Region 1, the ionized gas at  $x \sim 2.4$ ,  $z \sim -0.02$ , is in a more confined region, due to the extent of the gas below the plane. For Region 2, ionized gas simply moves above and below the plane of the disc. The size of the H II regions in Regions 1 and 2 are around 10-20 pc, while observed H II regions in the Milky Way are typically a few or 10s parsecs (Scaife 2013; Anderson et al. 2014; Tremblin et al. 2014). We only see the highest H II fractions close to the clusters at times within time-scales of order 0.1 Myr after ionization commences, whereby the sizes of the H II regions are comparable with ultracompact H II regions (Churchwell 2002).

In Fig. 9, we show the location of the ionizing sinks in Regions 1 and 2 on column density plots with the integrated HII fraction overlaid. The sinks are coloured according to their flux. The total ionizing fluxes of the sinks are  $>10^{50}$  (red),  $10^{49}-10^{50}$  (green),  $<10^{49}$  erg (yellow), while those in blue contain no ionizing sources. Sources shown in yellow typically contain one ionizing star, those in green one or a few ionizing stars and those in red are sinks that typically contain > 10 ionizing stars. For Region 1 (top panel), there are clearly a large number of ionizing sinks associated with the massive cluster at  $x \sim 2.41$  kpc and  $y \sim 4.8$  kpc, and perhaps some indication that the most massive are more strongly concentrated at the centre of the cluster. There are also two large clusters with many ionizing sources at  $x \sim 2.39$  kpc and  $y \sim 4.775$  kpc, which as we see in the next section, merge together. Both of these regions are also associated with the most intense H II ionization. There is also a massive cluster with many ionizing sources at the top of the figure  $(x \sim 2.41 \text{ kpc}, y \sim 4.82 \text{ kpc})$ , which is not so strongly associated with H<sub>II</sub>, but it is likely that the ionization predominantly joins the H II region at  $x \sim 2.42$  kpc and  $y \sim 4.81$  kpc. There are also highly ionizing sinks that are not so clearly associated with the very massive clusters, although most are in clusters of other sink particles.

For Region 2 (lower panel), there are two main concentrations of ionizing sinks (at  $x \sim 2.86$  kpc,  $y \sim 0.32$  kpc and  $x \sim 2.9$  kpc,  $y \sim 0.34$  kpc). The most highly ionizing sinks are at the centre of these concentrations, and there is lots of H II gas associated with these regions. Compared with Region 1, although lower in mass, the clusters have evolved for longer (and in relative isolation rather than undergoing mergers), so this may be why the most strongly ionizing (and most massive) sources tend to be more at the centre. Other highly ionizing sinks are typically associated with other (lower) ionizing sinks, often at the nodes of filaments joining together.

## 4.3 Clusters

In this section, we consider the evolution and properties of clusters formed in our Set 2 simulations, which are better able to resolve clusters. For those in Region 1, some clusters may have started forming before the start of the simulation, i.e. in the Set 1 simulation. Those in Region 2 are all formed in the Set 2 resimulation. Again however we take the time-scales for cluster evolution to include the evolution in the Set 1 simulation we well.

To identify the clusters, we use a friends-of-friends (FoF) algorithm, similar to our previous work (Dobbs, Pringle & Duarte-Cabral 2015; Bending et al. 2020). This algorithm works by grouping together particles that are within a certain distance of each other, which we choose to be 0.5 pc. We show results where we test this distance in the appendix. We require that clusters contain over 10 sink particles to be selected. We cannot directly convert this to a mass, as the mass of our sink particles varies, but approximately this limits the mass of clusters we can study to  $>1000~M_{\odot}$ . For comparison we also applied the DBSCAN (Ester et al. 1996) clustering routine to the same data at one particular time frame. DBSCAN works similarly to the FoF algorithm but requires a minimum number of particles to be within a certain distance. Both algorithms produced very similar results, and in some cases picked out exactly the same set of particles for each cluster. In some cases, the clusters picked out by the FoF algorithm were more extended and asymmetric than the equivalent cluster identified by DBSCAN, which may be an advantage for following clusters whose morphologies are impacted by feedback, though the DBSCAN algorithm may be better at separating clusters that are in the process of merging, or finding spherical clusters. The FoF algorithm identified all the clusters found by DBSCAN, and

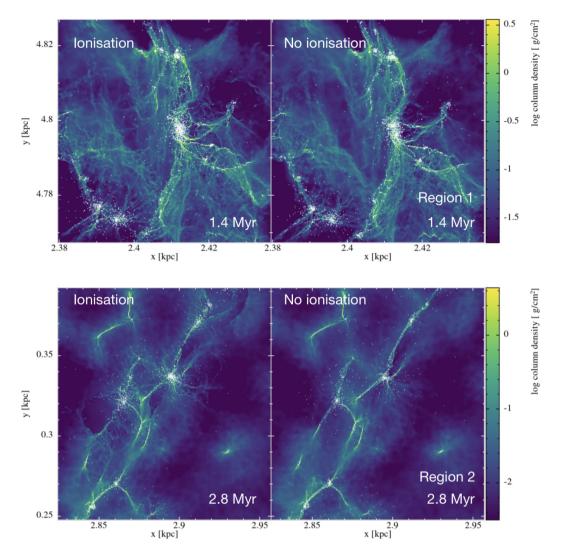


Figure 5. Column density plots are shown for the Set 2 resimulations of Region 1 (top) and Region 2 (lower). Sink particles are overplotted as white dots.

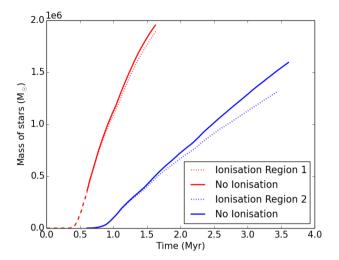
some additional clusters, but these were all of low mass and of less interest since they are not so well resolved and it is difficult to follow their evolution.

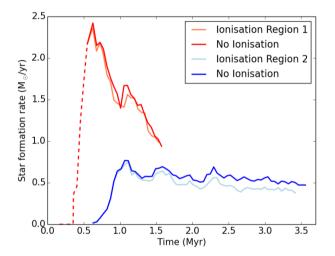
We determine the evolution as follows. For each simulation, we find the clusters at 0.1 Myr intervals. We choose a particular time frame, for Region 1, we choose 1.4 Myr, for Region 2 we choose 2.8 Myr, and then identify clusters at other time frames that have the same particles. We focus on clusters that we can pick out over a significant fraction of the simulation, or significant time since they are formed. Note that our results are largely independent of the time frame chosen provided it is within around half a Myr. For time frames that are much earlier than this there may have been unbound clusters which have since become too dispersed to be selected according to our criteria at later time frames. Conversely, some clusters that do not form until late on in the simulations would be missed. This is less relevant for the Region 1 simulations, but more relevant for the Region 2 simulations that run for longer. We also match clusters in our models with ionization to equivalent clusters in the models without ionization. This was done by eye, but in all cases it was obvious which clusters were equivalent.

# 4.3.1 Cluster evolution: Region 1

We show in Fig. 7 (top panel) the Region 1 simulation with the integrated H II fraction over plotted, and the sink particles shown in blue. We highlight with circles a number of clusters (the particles which constitute the clusters are shown in later figures). The evolution of the cluster labelled 1 is discussed below, and those labelled 2a, 2b, and 3 are followed in the appendix. The FoF algorithm picked out quite a few other clusters, but some of the smaller ones cannot be followed because the number of particles is small. Furthermore some clusters simply merge with other larger clusters (1, 2a, 2b, 4) so their end masses, and ionizing fluxes end up being the same as the larger clusters. Clusters 4 and 5 are other examples of clusters which we could follow the evolution of, and did not merge with larger clusters.

In Fig. 10, we show the evolution of Cluster 1 from the Region 1 simulations with (right) and the equivalent cluster without (left) ionization. We show the cluster at two different times, 1.4 and 1.6 Myr. We also show the evolution of the cluster mass over time, and the evolution of the gas mass associated with the cluster, again with and without ionization. Cluster 1 forms from the merger of 2 massive clusters (while some other clusters also merge to form





**Figure 6.** The mass of stars (top) and star formation rate (lower) is shown versus time for Regions 1 (red) and 2 (blue). The red dashed line shows the star formation rate from the Set 1 simulation, R1z85s. Ionization has a small impact on the level of star formation for Region 2, for example there is around a 15 per cent reduction in the stellar mass at the end of the simulation for Region 2 (over about 2 Myr).

Cluster 1 they are much smaller). Markedly, we see that in the no ionization case, the clusters take longer to merge, and the two cores of the clusters are clearly seen at 1.4 Myr in the no ionization case, whereas with ionization, they have clearly merged together. We interpret this difference as due to the ionization removing gas from the cluster region and effectively changing the potential. In our initial runs, with the IMF sampling method in Bending et al. (2020) the ionization was stronger, the evacuation of the gas very clear, and this effect was even more pronounced. The kinematics of such evacuated gas will be the subject of a future study (in prep). By a time of 1.6 Myr, the clusters appear to have fully merged in both cases, at least in terms of their morphology they appear to become roughly spherical on very short time scales of  $\sim$ 0.2 Myr, though we do not consider the dynamics of the clusters.

The lower left panel of Fig. 10 shows the cluster mass versus time. The ionization appears to have a small effect on the mass of the cluster, reducing the mass from around  $5 \times 10^5$  to  $4.5 \times 10^5$   $M_{\odot}$ , i.e. by around 10 per cent. The right-hand panel shows the gas mass within radii of 1 and 2 pc from the centre of the cluster.

We originally looked at finding clouds associated with the clusters. However, the region is not that large and quite dense, much of the gas is molecular, so the region could be mostly considered one or two GMCs, or perhaps would be better termed a Giant Molecular Association. Instead, at each time frame we determine the centre of the cluster, and calculate the gas mass within 1 and 2 pc radii. The effects of the ionization can be seen at larger radii from the clusters, or equivalently ionizing sources, however the effects at these larger distances are more to compress the gas into denser filaments, rather than necessarily effectively disperse the gas. Also, at larger radii of 10 pc or more, that distance is large enough to sometimes include other clusters. Hence we look at quite small distances from the cluster centre. Note also that a radius of 1 pc is quite similar to the typical cluster radii. For both the ionization, and no ionization cases, the amount of gas associated with the cluster decreases with time, in the no ionization case this is due both to additional star formation, and likely the dynamics of the region. However, the amount of gas decreases by much more in the case with ionization, decreasing by 90 per cent in the case with ionization versus 65 per cent without ionization. The resultant gas mass in the ionized model varies between 25 per cent and 65 per cent of that of the no ionization model in the latter time frames. There are similar trends when taking a 2 pc radius, though they tend to be slightly less

In the appendix, we show examples for two more clusters from Region 1. Both show a clear decrease in the gas around the clusters with ionization that is more pronounced than without ionization. For the clusters labelled 2a and 2b, which merge together, the mass of the cluster after 1.6 Myr is half that in the run with ionization compared to without ionization. The gas mass within 1 pc decreases by 80 per cent without ionization and 90 per cent with ionization (though the maximum decrease is 95 per cent). Cluster 3 is a smaller cluster where the impact of ionization is clearly visible in the distribution of the stars; however, in terms of the mass of the cluster, the ionization does not have a clear impact. There is a clear effect in the gas though, whereby the gas mass decreases by 40 per cent in the cluster with no ionization, but 93 per cent for the cluster with ionization. Clusters 4 (figures of these clusters are not shown for brevity) and 5 show little difference in the mass of the cluster (though note that for Cluster 5 the increase in mass of the cluster is minimal) between the ionization and no ionization models, but for Cluster 5, the change in gas mass within 1 pc shows an 80 per cent reduction for the ionized case, compared to a 64 per cent reduction for the non-ionized case.

Overall for Region 1, from the five clusters, the gas mass decreases in the vicinity of the cluster by  $76\pm25$  per cent for the ionization case, compared to  $52\pm13$  per cent for the non-ionization case, on time-scales of  $\sim 1$  Myr. The addition of ionization appears to limit the mass of the clusters by 0-50 per cent, again on time-scales of  $\sim 1$  Myr.

#### 4.3.2 Cluster evolution: Region 2

We evolve Region 2 for longer compared to Region 1 and Region 2 is less dense and has fewer mergers, so we find that it is easier to see the effects of the ionizing feedback in this simulation. We show the evolution of the cluster marked 1 in Fig. 7 in Fig. 11. This is the most massive cluster in this simulation. At the earlier time (top panels) of 2.0 Myr, the equivalent cluster in the simulation with no feedback does not appear so different. However, by a time of 3.4 Myr (second panels) the ionizing feedback has massively altered the structure of the surrounding gas. The low-density gas is smoother due to the ionization heating up this gas, the gas is visibly lower density right at the centre of the cluster, while the filamentary

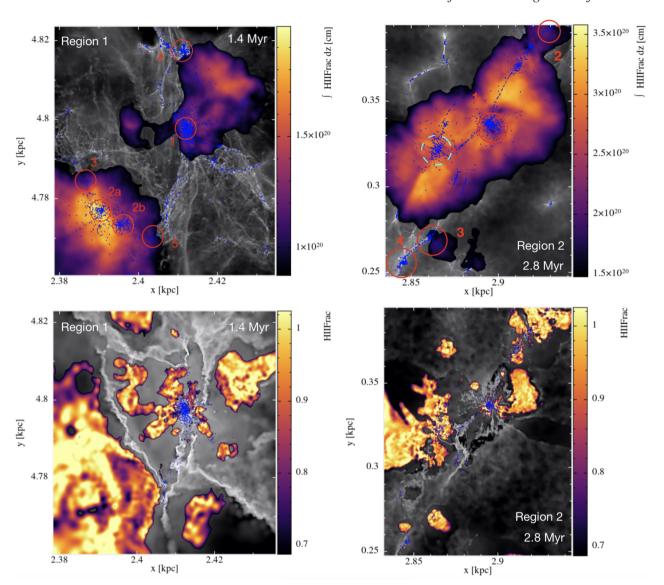


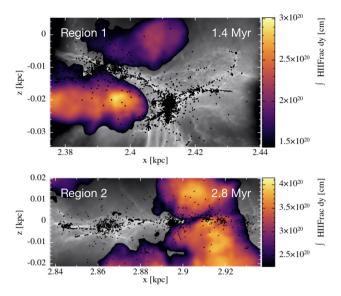
Figure 7. The integrated H II fraction is overplotted on the column density (shown in grey scale) for Region 1 (top left) and 2 (top right) with ionization. Areas of higher H II fraction tend to be associated with the most massive clusters with large numbers of ionizing sources. Sink particles are plotted in blue, and clusters that are discussed in Section 4.3 are highlighted. The lower panels are cross-sections showing the absolute H II fractions. The cross-sections are taken at z = -0.02 for Region 1 (lower left) and z = 0 for Region 2 (lower right).

structure around the cluster has the appearance of be being irradiated by the ionizing radiation. The mass of the cluster is reduced by 25 per cent with ionization, while the vast majority of the gas is dispersed from within 1 pc (only 75  $M_{\odot}$  or 7 per cent of the initial mass remains), whereas 58 per cent of the gas still remains in the no feedback case. If we instead take gas within larger radii of 2 or 5 pc (the latter not shown), we also see a much greater decrease in mass in the case with photoionization, compared to the model with no feedback.

The cluster labelled 2 lies at the edge of a region being strongly disrupted by ionizing feedback, and again the gas surrounding the cluster is completely different in the case with and without ionization. This cluster is shown in the appendix. Ionization again has a strong limiting effect on the mass of the cluster, preventing further growth after around 2 Myr, and decreasing the mass of the cluster by 35 per cent. Again the amount of gas in the vicinity of the cluster is reduced with ionization. Interestingly, the low density region to

the top right shaped by ionization is produced by a cluster which we cannot trace at later times, since the stars disperse too much to be detected as a cluster. Clusters 3 and 4 in Fig. 7 show similar behaviour to Clusters 1 and 2, in that all cases show a decrease in the mass of the cluster, and the gas within 1, 2, or 5 pc radius of the centre of the cluster decreases, relative to the no feedback case. The smallest change occurs in Cluster 4, which is perhaps not surprising as this is associated with the least ionization, and as shown in Fig. 9, is not associated with any very strongly ionizing sources. In this case the cluster mass is only reduced by 5 per cent. Overall ionization leads to a reduction in the mass of the clusters by  $20 \pm 11$  per cent, while the gas within a 1 pc radius decreases by  $82 \pm 17$  per cent with ionizing feedback, and  $40 \pm 25$  per cent without feedback, over a period of roughly 2 Myr.

In Fig. 12, we highlight an example for Region 2 where a cluster has had a significant impact on the local gas structure. The cluster highlighted with the cyan circle is associated with very little gas in

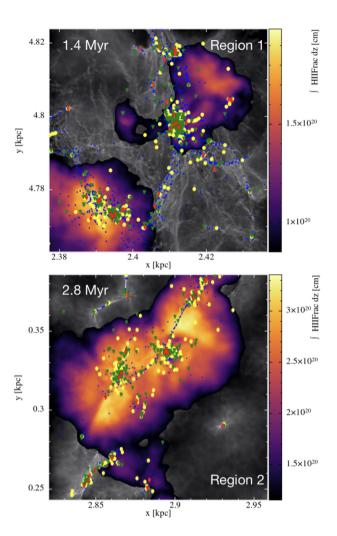


**Figure 8.** The integrated H II fraction is overplotted on the column density in the vertical (z-x) plane for Regions 1 and 2. The areas with the highest H II fraction lie above and below the plane.

the ionization model compared with the model with no ionization (left-hand panel). In fact, this gas has been pushed out of the cluster by ionization and now constitutes the filamentary structure 10 pc or so to the right of the cluster. By comparison, without ionization, the equivalent cluster still occurs along the main filament and still has lots of gas in the vicinity of the sink particles. Unlike the cluster situated to the right of these panels (Cluster 1 in Fig. 7), this cluster is more or less simply a core of stars at the centre, rather than including a more extended halo (true in the models both with and without ionization), and it is difficult to follow the cluster over time.

# 4.4 Cluster properties

In this section, we consider the overall properties of the clusters in the simulations of Regions 1 and 2 with and without ionization. We note that results for lower mass clusters may be less reliable since they contain fewer particles, and they may be more transient features (in Region 1 in particular some of these smaller clusters merge with the larger clusters). In Fig. 13, we show the masses and radii of the clusters (top) as well as observed young massive clusters (Portegies Zwart, McMillan & Gieles 2010), and the ratio of the kinetic to gravitational potential energy (lower panels) for Region 1 (left) and Region 2 (right). We use the full mass and the maximum radius rather than the half mass radius, because some of the clusters do not have that many particles. Using the half mass radius would reduce the radii by a factor of between 2 and 3. All results are shown at the end of the simulations, 1.6 Myr for Region 1 and 3.4 Myr for Region 2. Including ionization has a small effect on the masses of the clusters that form, more so for Region 2, though it is easier to show the effects of feedback by comparing equivalent clusters with and without feedback as we did in the previous section. There is a more marked difference between the clusters found in Regions 1 and 2, with clusters in Region 1 reaching several  $10^5$  M<sub> $\odot$ </sub>, and clusters in Region 2 reaching not much more than 10<sup>5</sup> M<sub>☉</sub>, and over a significantly longer time period. The most massive clusters form in Region 1 by mergers whereas this does not happen in Region 2. Generally the radii of the clusters are around 1 pc, and do not show



**Figure 9.** Ionizing sources are shown for the simulations of Region 1 (top) and 2 (lower panel). Sources have ionizing fluxes of  $>10^{50}$  (red),  $10^{49}-10^{50}$  (green), and  $<10^{49}$  (yellow) erg are shown. Sink particles that do not contain ionizing sources are shown in blue. The integrated H II fraction is overplotted on the column density. The regions of highest H II fractions tend to be associated with the largest concentrations of ionizing sources that are associated with the most massive clusters.

much of a trend with mass, similar to observations of clusters in the Milky Way (Pfalzner & Kaczmarek 2013). The most massive clusters do show larger radii, which could be related to not just their mass but also that they have undergone mergers and not fully settled (see also Rieder et al., submitted).

The lower panels of Fig. 13 show the ratio of kinetic to gravitational potential energy for the clusters. The points tend to be scattered around a ratio of  $\sim 1/2$ , consistent with the clusters being in virial equilibrium. For Region 2, there is a tendency for the clusters in the run with ionization to be larger than their counterparts without ionization, and in most cases the energy ratio is the same or they are less bound. Any trends seem less clear for Region 1. Although for both regions the clusters appear larger with ionization, this seems offset by a slightly smaller velocity dispersion that leads to a less obvious difference. There are a few outliers for both regions that are unbound, though these tend to be smaller clusters, and likely clusters substantially effected by feedback as they only occur in the runs with ionization. Potentially, these could more resemble

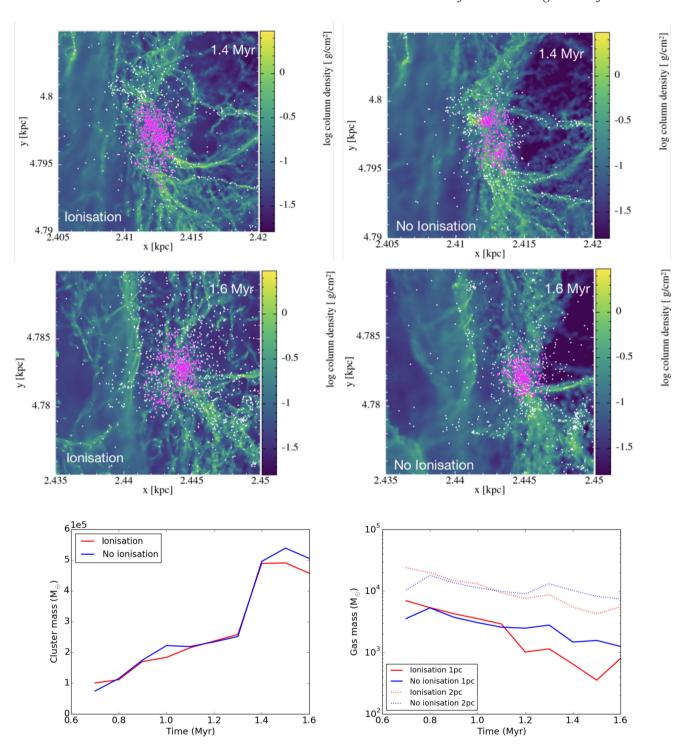


Figure 10. Cluster 1, as shown in Fig. 7 (top panel), from Region 1, is shown a two different times (top panels). The left-hand panels are from the simulation without ionization, and the right-hand panels with ionization. In the right-hand panels, the cluster that is equivalent to that formed in the ionization simulation is identified by eye. The sink particles that belong to the cluster are shown in magenta. The lower panels show the change in mass of the equivalent clusters with time, and the right-hand panel shows the gas mass within radii of 1 and 2 pc of the centre of the cluster.

associations compared to Young Massive Clusters (YMCs) or open clusters.

Finally, we look at the halo of stars surrounding the clusters in our simulations. Our FoF algorithm picks out the denser central core of the cluster, but clusters are generally expected to be surrounded by a lower density stellar halo. Recent observations have found haloes,

or coronae out to 100 pc or more (Meingast, Alves & Rottensteiner 2021). By eye (e.g. the lower panels of Figs 10 and 11), our clusters from the models with ionization appear to be surrounded by more sink particles [although we note that like Bending et al. (2020), ionization tends to produce more lower mass sinks]. We estimate the halo stellar masses by taking sink particles that lie within radii

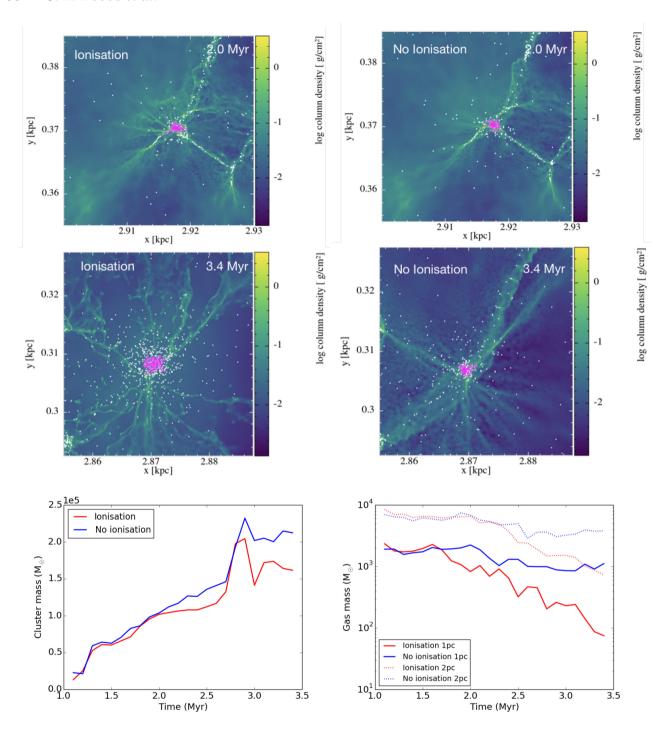


Figure 11. The same as Fig. 10, but for Cluster 1 highlighted in the Region 2 simulation.

of 5 and 10 pc of the centre of mass of a cluster but which are not identified as members of that cluster. In Fig. 14, we show the fraction of stellar mass in haloes of size 5 pc for Region 1 (left-hand panel) and radius 10 pc for Region 2 (right-hand panel), at times of 1.6 and 3.4 Myr, respectively.

For Region 1, Fig. 14 shows that the fraction of stars contained in the halo is higher with ionization for the lower mass clusters, but not very different for higher mass clusters. We chose a radius of 5 pc based on the relatively close separation of clusters – if we take a radius of 10 pc instead, the results are similar but with a slightly less discernible trend. We also tried taking the mass within the half mass

radius, and taking the halo mass as the mass between this radius and multiples of the half mass radius, and find similar results to those presented. We keep the maximum radius however again simply to ensure sensible particle numbers in our analysis. For Region 2, where the clusters have had longer to evolve and clusters tend to evolve in isolation, we see a more noticeable difference, with the fraction of stars in the halo tending to be higher when photoionization is included over all cluster masses. We took a radius of 10 pc here, because taking 5 pc gives some very small halo masses, though the trends are the same. The results for Region 2 suggest that gas dispersal occurring in the vicinity of the clusters due to ionization, and the subsequent

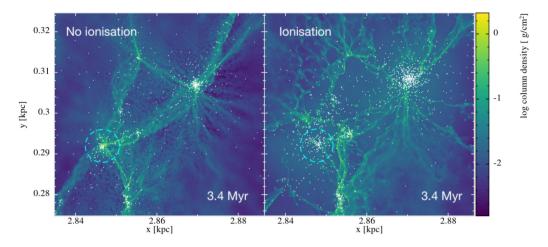
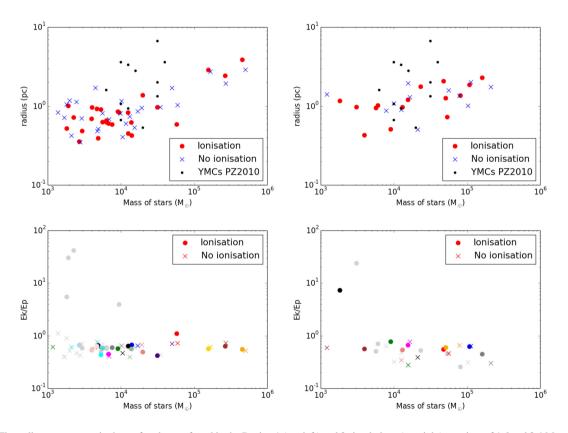


Figure 12. This figure shows the cluster marked by the cyan circle in Fig. 7, the other cluster apparent is Cluster 1 from Fig. 7 in the models with and without ionization. Ionization has a strong effect on the gas for both clusters, but particularly for the cluster indicated by the cyan circle, this cluster is located at the intersection of filaments with no ionization (left-hand panel) whereas the filamentary structure is actually shifted by about 10 pc with ionization (right-hand panel).



**Figure 13.** The radius versus mass is shown for clusters found in the Region 1 (top left) and 2 simulations (top right) at a time of 1.6 and 3.4 Myr, respectively. Observations of young massive clusters (Portegies Zwart et al. 2010 and references therein) are shown as black points, though we caution that there is some dependence of the radius of the simulated clusters both on the FoF algorithm (see Appendix) and the definition of the radius. The bottom panels show the ratio of kinetic to gravitational potential energy for the clusters, again for the Region 1 (lower left) and Region 2 (lower right) simulations. In the lower panels, the colours are the same for corresponding clouds in the models. Grey represents unmatched clouds.

stellar motions, leads to greater expansion of the clusters (see also e.g. Hills 1980; Mathieu 1983; Lada, Margulis & Dearborn 1984; Geyer & Burkert 2001; Boily & Kroupa 2003; Moeckel & Bate 2010 where simple prescriptions for gas dispersal are applied to clusters). We also see this from the radii of the clusters, as shown in Fig. 13 (top right panel).

#### 5 DISCUSSION AND CONCLUSIONS

We have performed simulations investigating cluster formation in two different regions along a spiral arm, including photoionizing feedback. The dynamics and morphology of the spiral arm are taken from a global simulation of the Milky Way with a live stellar disc.

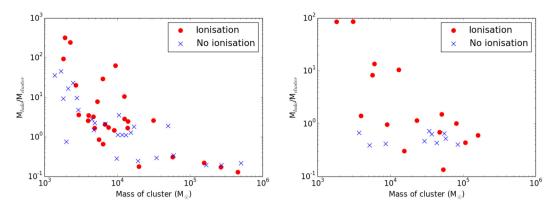


Figure 14. The fraction of the halo mass compared to the cluster mass for Region 1 (left) at a time of 1.6 yr and Region 2 (right) at a time of 3.4 Myr. The halo mass is defined as the mass of stars within 5 pc (Region 1) and 10 pc (Region 2) of the centre of mass of the clusters excluding the mass of the clusters themselves.

One region (Region 1) has strongly converging gas flows, and appears to be influenced by the merger or collision of two spiral arms. The other region (Region 2) appears to be only a moderately converging region.

Our simulations show that massive clusters form rapidly in converging regions on time-scales of Myrs, in agreement with previous work (Dobbs et al. 2020; Liow & Dobbs 2020). However, while these previous simulations only considered simplistic cases of two converging flows (or colliding clouds), we have showed that these are valid in a galactic context. For Region 1, we find that clusters of mass  $> 10^5$  M<sub> $\odot$ </sub> can form on time-scales of order 1 Myr. Region 1 represents the singular most extreme part of our galaxy model, in terms of density<sup>1</sup> and velocities of the gas, so this is where we expect to form massive clusters. These massive clusters form at the hubs of where large-scale filamentary structures join together, as observed for the W49A starburst in the Milky Way (Galván-Madrid et al. 2013), and also analogous to massive star formation on smaller scales within molecular clouds (Myers 2009; Peretto et al. 2013; Baug et al. 2018; Kumar et al. 2020; Anderson et al. 2021; Liu et al. 2021). For Region 2, we also see massive clusters forming, but the clusters are comparatively less massive and form instead over longer time-scales of around 3 Myr. Although dense, Region 2 is not as exceptional as Region 1, and is comparable in properties to numerous massive higher density GMCs in the Milky Way (Rice et al. 2016; Miville-Deschênes, Murray & Lee 2017; Lada & Dame

We calculate the cluster formation efficiency,  $\Gamma$  (Bastian 2008) (see also review by Adamo et al. 2020) according to equation (1) of Johnson et al. (2016).  $\Gamma$  is 0.6–0.7 for Region 1, and 0.4–0.5 for Region 2. We find that  $\Gamma$  decreases over time but there is no clear trend with and without photoionization. Our values are substantially higher than typically observed, although more comparable with values for highly star-forming regions (Kruijssen 2012; Johnson et al. 2016) and more bound clusters in simulations by Hislop et al. 2021. However, our clusters are very young compared to the observed clusters. We also note that older clusters may appear more distributed, while stars may be ejected from clusters over time, so measuring  $\Gamma$  accurately may be difficult and likely only gives a lower limit.

In both Regions, photoionization does not prevent the formation of massive clusters, although ionization can be seen to reduce the

mass of clusters that form. Masses of clusters are decreased by up to 50 per cent but more typically 20 per cent over time-scales of a few Myr with ionizing feedback. Ionizing feedback can remove nearly all the gas from the vicinity of the cluster in time-scales of a few Myr (see also Dinnbier & Walch 2020), but in practice we see a large spread in both the effect of feedback on the surrounding gas, and resultant cluster masses. We also see that ionization tends to lead to clusters which are slightly more extended, and increases the fraction of stars in the stellar haloes of the clusters. Ionizing feedback visibly alters the morphology of the gas surrounding clusters with strongly ionizing sources. Visually the effects of ionization are similar to individual cloud simulations, with the generation of increasing filamentary structure (e.g. Ali & Harries 2019). Ionized gas is also preferentially located above and below the plane of the disc and in low density regions, hence ionization does not always have such a strong impact on cluster formation. Overall, the initial conditions seem to have a stronger role on cluster formation compared to feedback.

The effects of photoionization may be diminished in our simulations also because we consider particularly dense regions. In relation to this we find that ionizing feedback has greater impact in Region 2, in terms of the star formation rate, and in Fig. B3 we can see regions which are highly disrupted by feedback. Previous work has found that the effects of ionization are less in higher surface density clouds (Ali & Harries 2019; Dinnbier & Walch 2020; Fukushima & Yajima 2021). We also see that the efficiency of cluster formation, in terms of the mass of the clusters formed in the presence of ionizing feedback compared to no feedback, is still quite high, comparable again to previous results for denser clouds (Grudić et al. 2018; Fukushima & Yajima 2021). However we do see an indication that in some cases, ionization is limiting the masses of resultant clusters (see also Fukushima & Yajima 2021). This is in contrast to the work of Tsang & Milosavljević (2018) which included solely radiation pressure and found that cluster masses continued to grow. However, we have different initial conditions and look at the surrounding gas mass, rather than gas inflow rates so it is difficult to make a direct comparison. We note that even without feedback star formation may be quenched, for example due to the surrounding gas reservoir (which here can change due to the large scale dynamics), so we have directly compared equivalent clusters with and without ionizing feedback to take this into account.

We further find that mergers are important for the formation of the most massive clusters. Mergers are much more frequent in Region 1, enabling massive clusters to form on shorter time-scales, compared to Region 2, where they are minimal. We see similar findings in

<sup>&</sup>lt;sup>1</sup>The criteria for selecting the region was based on divergence but Region 1 is also particularly dense.

Rieder et al. (submitted), where again mergers are more common in massive GMCs found in spiral arms with strongly converging flows, and lead to more massive clusters. A similar picture of massive cluster formation by mergers was also put forward by Howard et al. (2019) and Fujii & Portegies Zwart (2015), although those simulations started with isolated collapsing GMCs.

In our simulations, we have included photoionization but neglected winds and radiation pressure that we leave to future work. So far our studies (in preparation) indicate that winds do not significantly change the outcomes of our simulations compared to just including ionization. Although stars formed in our models do not reach ages where they undergo supernovae, we could nevertheless be missing the effects of supernovae from prior generations of stars. We have also assumed that all the gas in sinks is converted to stars, which is likely an overestimate of the star formation efficiency. However, even if we assumed only 10 per cent was converted to stars, we would still see massive clusters form in Region 1 over short time-scales, and we would still see the comparative difference between Regions 1 and 2. We plan to investigate these factors in upcoming studies.

## **ACKNOWLEDGEMENTS**

We thank the referee for a comprehensive report that improved the presentation and clarity of our paper. Calculations for this paper were performed on the ISCA High Performance Computing Service at the University of Exeter, and used the DiRAC Complexity system, operated by the University of Leicester IT Services, which forms part of the STFC DiRAC HPC Facility (www.dirac.ac.uk). This equipment is funded by BIS National E-Infrastructure capital grant ST/K000373/1 and STFC DiRAC Operations grant ST/K0003259/1. DiRAC is part of the National E-Infrastructure. CLD and TJRB acknowledge funding from the European Research Council for the Horizon 2020 ERC consolidator grant project ICYBOB, grant number 818940. Some of the figures in this paper were made using splash (Price 2007). ARP acknowledges the support of The Japanese Society for the Promotion of Science (JSPS) KAKENHI grant for Early Career Scientists (20K14456).

## DATA AVAILABILITY

The data underlying this paper will be shared on reasonable request to the corresponding author.

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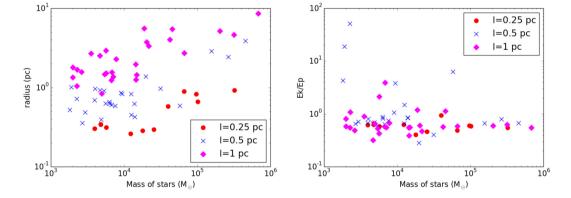
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# APPENDIX A: CLUSTER PROPERTIES WITH DIFFERENT FRIENDS-OF-FRIENDS PARAMETERS

In the analysis presented in the main part of the paper, we used an FoF algorithm where we chose a length-scale of 0.5 pc as the maximum length-scale between sink particles to be able to be part of a cluster. Here, we test choosing different length-scales, and in Fig. A1 we show properties of clusters where this length-scale takes values of 0.25, 0.5, and 1 pc. We use clusters from Region 1 at 1.6 Myr, which is the same as the left-hand plots of Fig. 13. As would be expected, the mass and radii of the clusters (left-hand panel) increase with larger distances, though the radii show much greater change than the mass. In the right-hand panel, we show the ratio of kinetic to gravitational potential energy. This appears robust to the choice of length-scale in the friends of friends algorithm, and the clusters appear to mostly be approximately virialized, for different length-scales, although the spread appears smaller for the shortest length-scale.



**Figure A1.** The radius versus mass (left-hand panel) and ratio of kinetic to potential energy (right-hand panel) are shown for clusters found in the Region 1, applying different length-scales for our FoF algorithm. The 0.5 pc length-scale shows the same results as Fig. 13. The clusters are more extended with larger length-scales, but approximately virialized over all three length-scales tested.

# APPENDIX B: FURTHER EXAMPLES

The section shows further examples of cluster evolution. Figs B1 and B2 are from Region 1, and Fig. B3 is from Region 2.

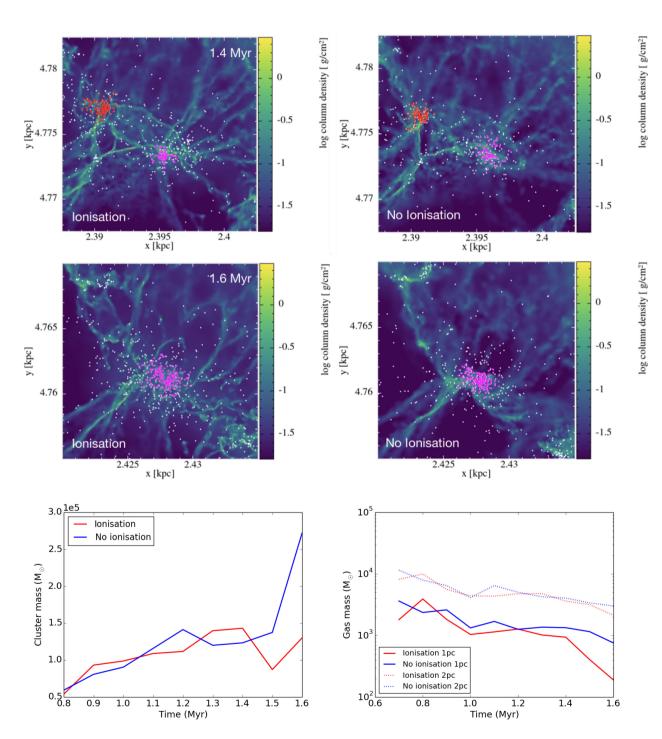
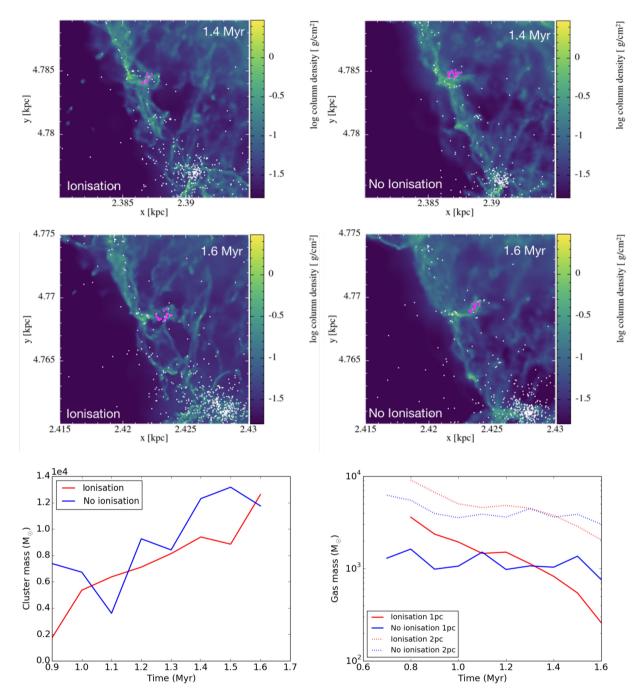
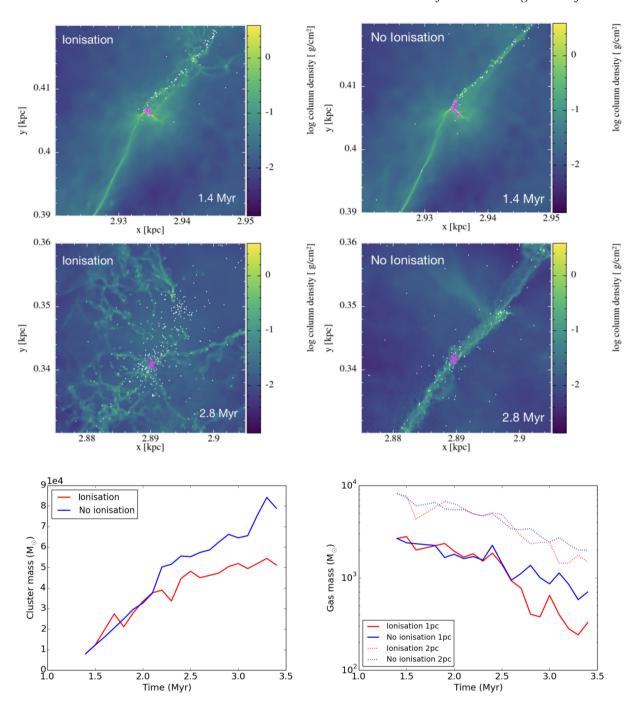


Figure B1. Same as Fig. 10, but for Clusters 2 and 2b of Region 1.



**Figure B2.** Same as Fig. 10, but for Cluster 3 of Region 1.



**Figure B3.** Same as Fig. 10, but for Cluster 2 of Region 2.

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